# **Drell-Yan measurement**

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- Nicola performed this analysis for PhD.
- Bringing the analysis towards publication.
- Cross checking and trying to improve.
- ► Nicola gave all the code with documentation.
- ► I am old fashioned and rewrote the code from scratch.

- No Changes here.
- Trigger lines:
  - LODiMuonDecision\_TOS, Hlt1DiMuonHighMassDecision\_TOS, Hlt2DiMuonDY(2,3,4)Decision\_TOS
- Selection:
  - > muminus\_TrEta>2.0, muminus\_TrEta<4.5, muplus\_TrEta>2.0, muplus\_TrEta<4.5, min(muminus\_TrPChi2,muplus\_TrPChi2)>0.001, min(muminus\_P , muplus\_P)>10000, min(muminus\_PT , muplus\_PT)>3000

We define an isolation for a single track:

$$\mu_{\rm iso} = \log\left(\left(p_{\rm T}^{\rm cone}\left(\mu, 0.5\right) - p_{\rm T}^{\rm cone}\left(\mu, 0.1\right)\right) \cdot \frac{1}{\,{\rm MeV}/c}\right)$$

• And for 2 tracks:  

$$\mu \mu_{\text{iso}} = \max \left( \mu^{-}_{\text{iso}}, \mu^{+}_{\text{iso}} \right)$$

$$= \log \left( \max \left( p_{\text{T}}^{\text{cone}} \left( \mu^{i}, 0.5 \right) - p_{\text{T}}^{\text{cone}} \left( \mu^{i}, 0.1 \right) \right) \cdot \frac{1}{\text{MeV}/c} \right)$$

No changes here.

- Now I started playing around :)
- ► We have two sources of background: MissID and Heavy Flavour decays.
- For now I take MissID for same sign data, and Heavy Flavour decays from selecting muons with Vertex χ > 50. This cut is much larger what it was before.
- For cross check I have 2 different sources of templates: MinBias(muon free), and IP cut(also tighter) instead of vertex.

#### Signal Templates -Nicola approach



- Z<sup>0</sup> is background free, take range of 80, 100 and we have a data μμ<sub>iso</sub> for the Z<sup>0</sup>.
- Determine the scale factor to minimalize the χ<sup>2</sup> in MC.



## Signal Templates - My idea

Instead of extrapolating from Z<sup>0</sup>, let's try interpolating :)
 Sploted Both Z<sup>0</sup> and Υ(1S).





▶ For Z<sup>0</sup> we need to to use double CB.

- ▶ Ok form Splot we have the  $\mu\mu_{iso}$  for two mass points:  $M_Z$  and  $M_\Upsilon$
- Ad hoc anzats to get the signal template for  $M_X$ :

$$\mu \mu_{iso,M_X} = \frac{M_X - M_{\Upsilon}}{M_Z - M_{\Upsilon}} \times T_Z + (1 - \frac{M_X - M_{\Upsilon}}{M_Z - M_{\Upsilon}}) \times T_{\Upsilon} \quad (1)$$

### Attention, from this slide work has been done on jet lag, during confernece talks, in airplane, or all above.

### Signal Templates - My idea, results

- Some  $M_{\mu\mu}$ , y bins don't converge.
- But the ones that do look awesome (to be checked):



#### Data\_12000\_15000\_y\_bin\_2\_2.25

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- Those are just preliminary results! Don't bite my head off.
- Want to compare the two method of obtaining signal templates.
- Try different "mixing" functions.
- See why some bins do not converge.
- Lots of fun ahead.