

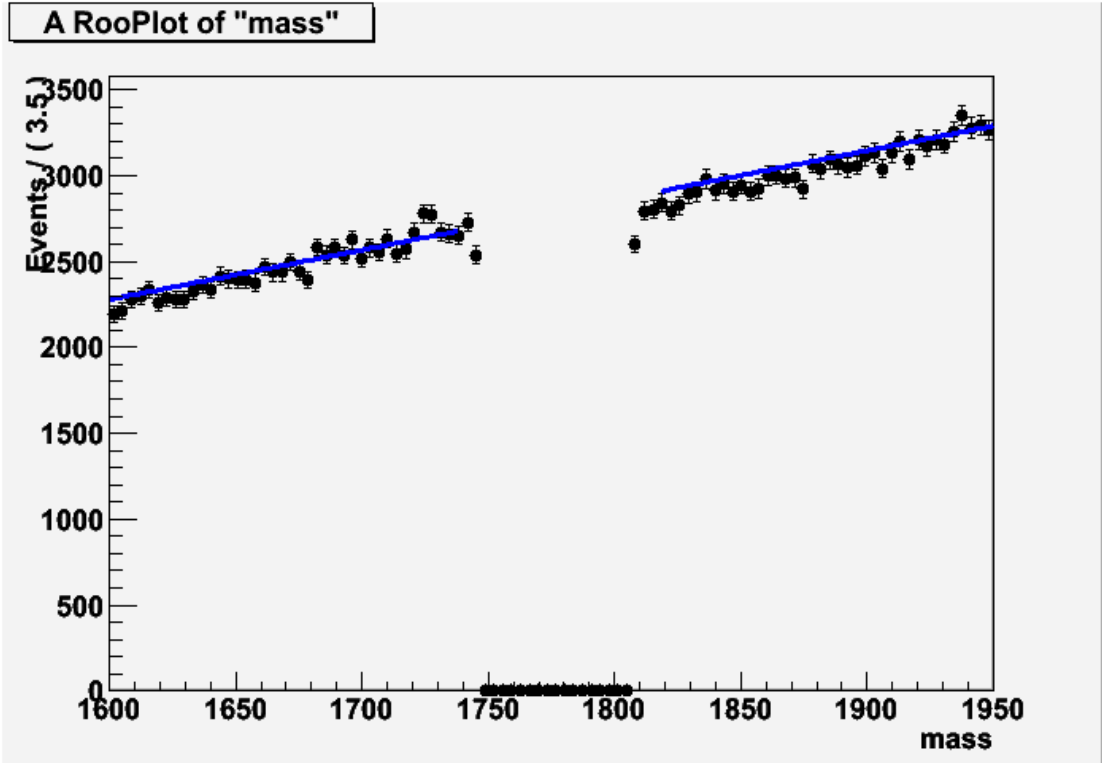
Binning optimization

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Cuts used from now and for always:

```
TCut c1 = "L0Dec&&Hlt1Dec&&Hlt2Dec&&cleaningcut";  
TCut c3 = "mass_p0p1>250&&abs(mass_p0p2-1020)>20&&abs(mass_p1p2-1020)>20";  
TCut c31 = "mass_p0p1>550 && mass_p0p2>550 && mass_p1p2>550";  
TCut c32 = "abs(mass_p0p1-782)>20 && abs(mass_p0p1-782)>20 && abs(mass_p0p1-782)>20";
```

Firstly lets calculate how many events are expected in mass window(1763.4, 1793.4)

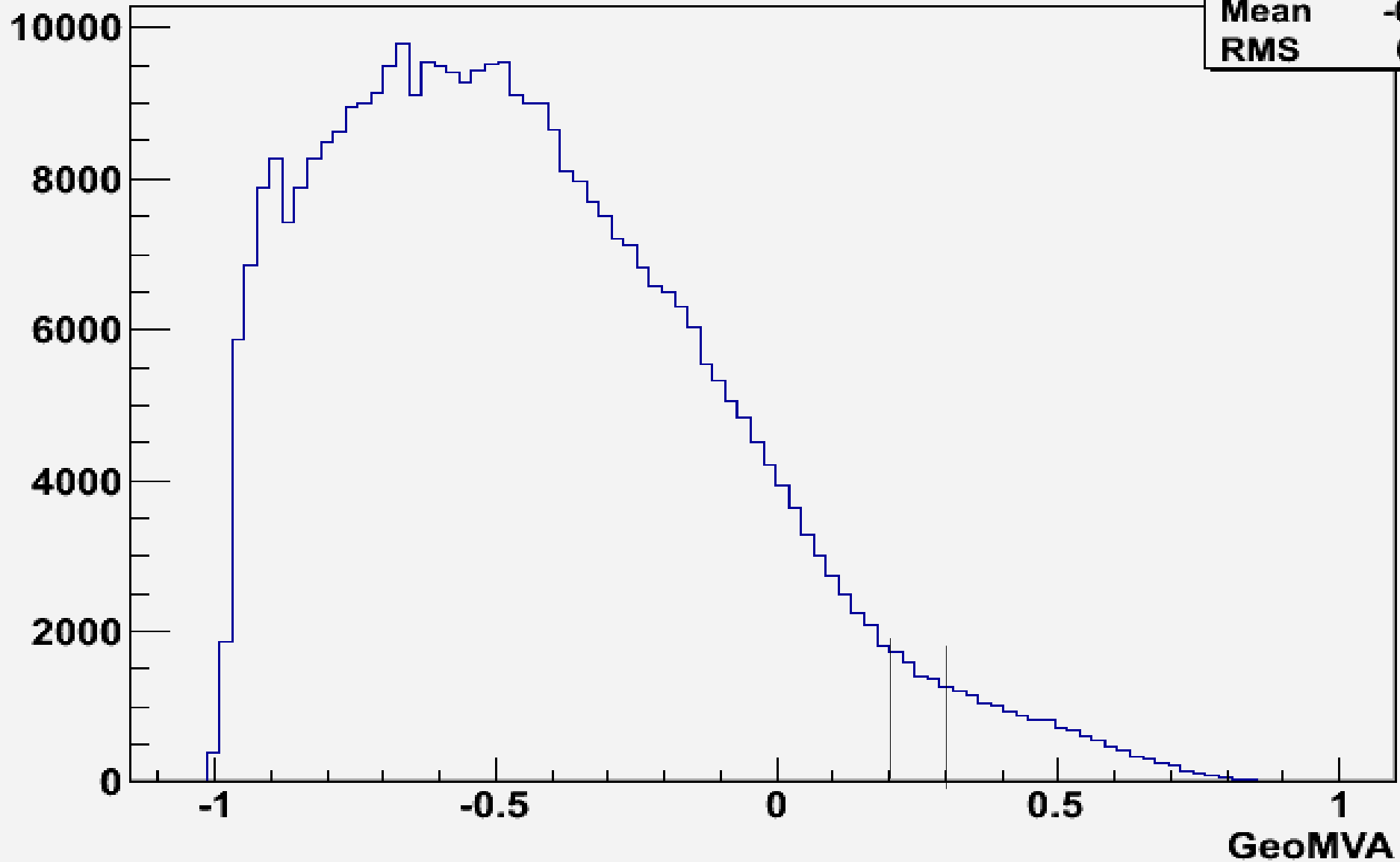


If we know how many events to expect. Then we are interested in the distributions of BDTs:

BACKGROUND!!!!!!!!!!!!!!!!!!!!!! d(GeoMVA =0.1) + remember the cuts

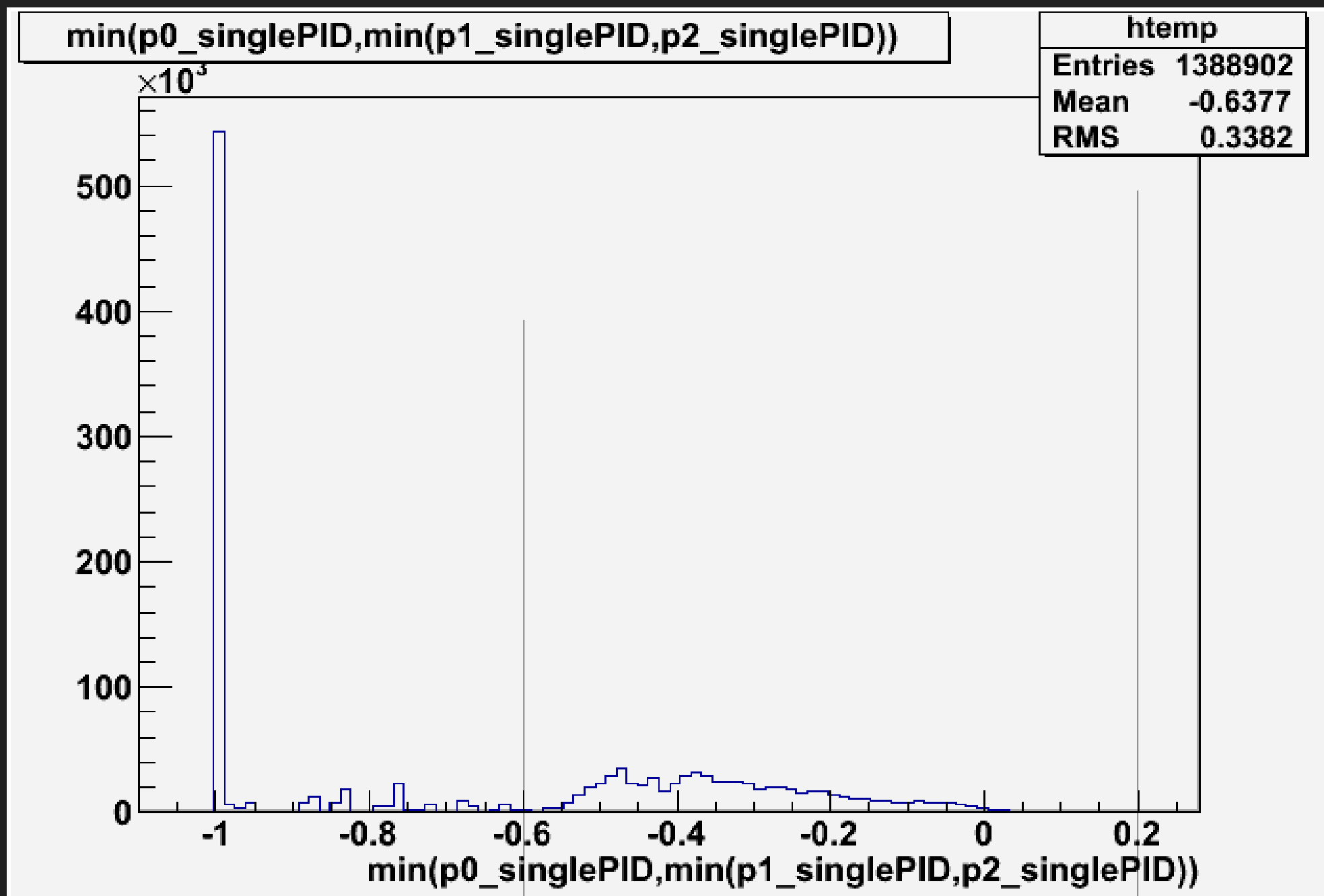
GeoMVA {(mass>1500 && mass<1600) || (mass>1950 && mass <2050)}

htemp	
Entries	382074
Mean	-0.4345
RMS	0.3489



We know the bin contents of both BDTs.

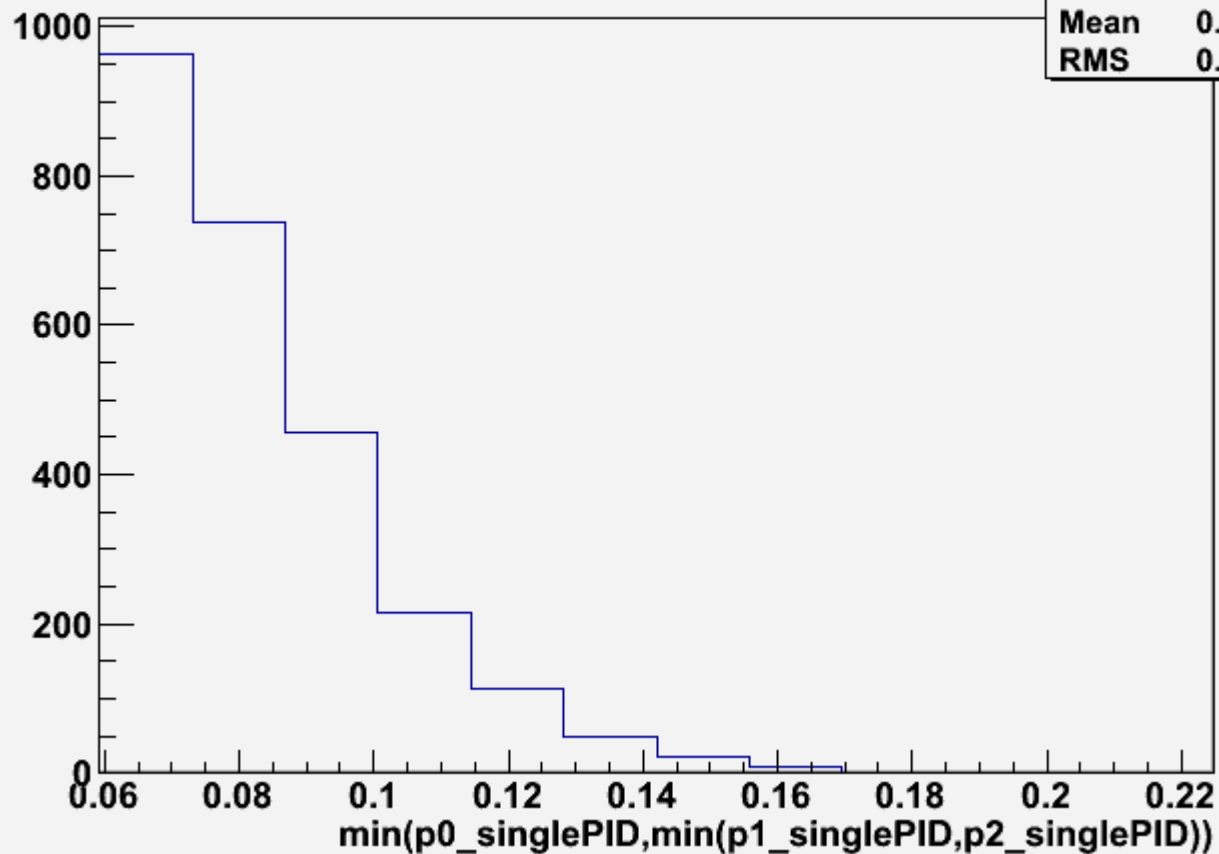
Note that for PID I used range from (-0.6, 0.2) They are smaller so I can use $d(\text{pid})=0.05$



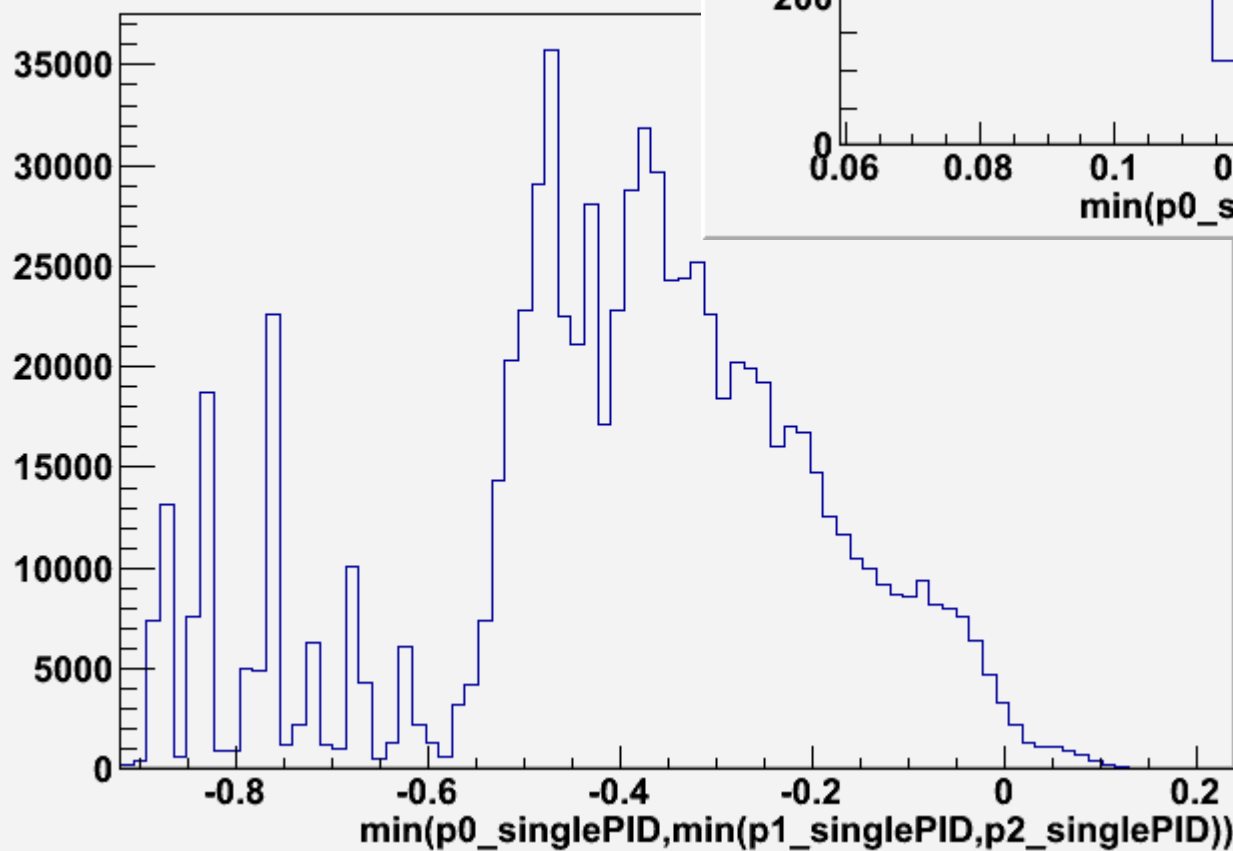
To convince you

min(p0_singlePID,min(p1_singlePID,p2_singlePID))

htemp	
Entries	1388902
Mean	0.08334
RMS	0.01906



min(p0_singlePID,min(p1_singlePID,p2_singlePID))



For the signal I used MC. Assuming BR is 10^{-8} . This doesn't have a big influence on results. Using the same method I calculate number off backgrounds in each small bins.

Now lets explain the optimisation on example. I have GEO 20 bins. I use than 21 array of 0 1. For example:

0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 1 1 1 1 1 - > is equal to binning {0.6,0.7,0.8,0.9,1}
 So 1 corresponds to boundary of the bin. Than I calculate the separation:

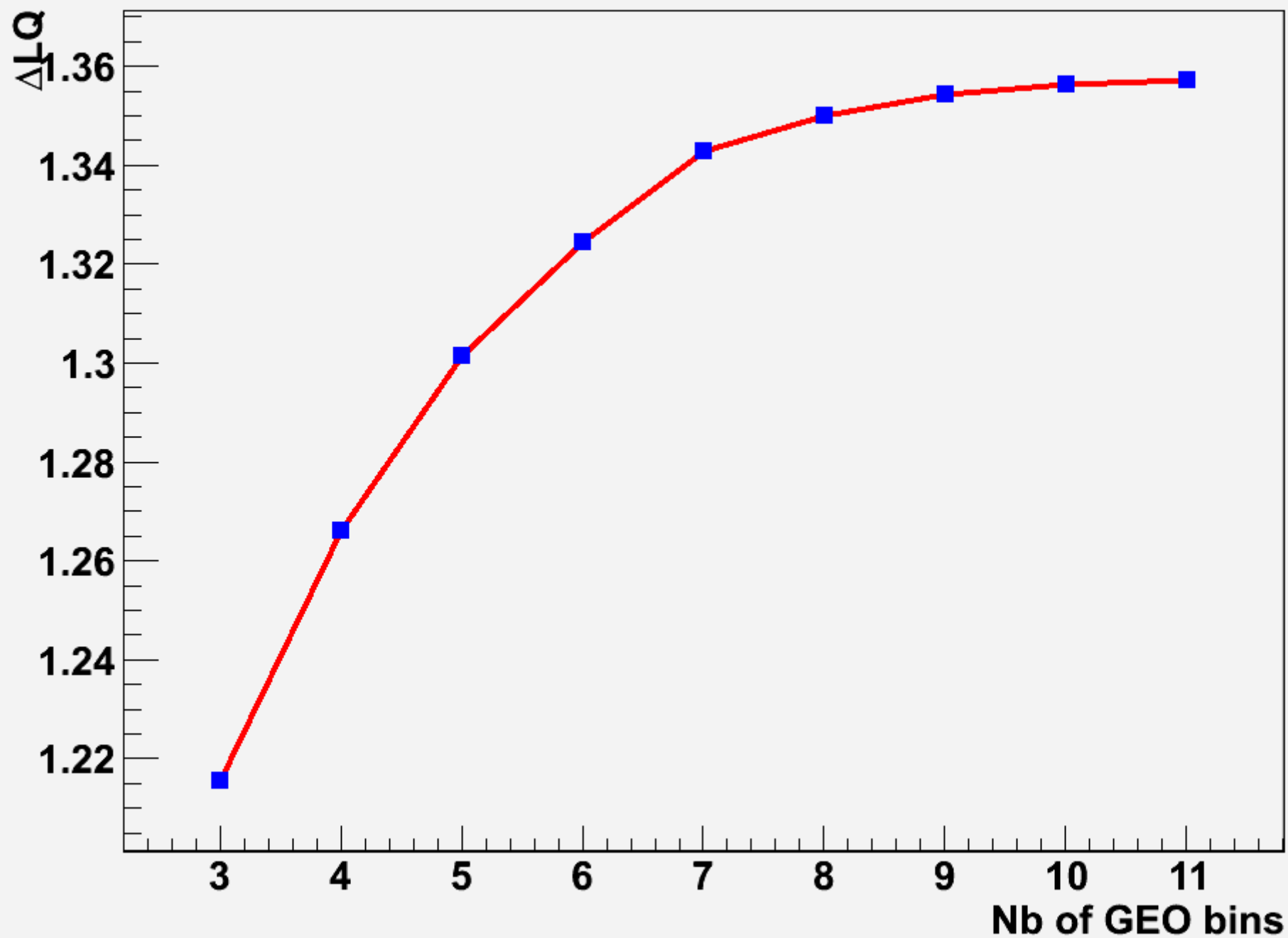
$$\widetilde{Q}_{SB}^{med} = \prod \mathcal{P}(s_i + b_i, s_i + b_i) / \mathcal{P}(s_i + b_i, b_i) \quad \text{i.e. data=sig+bkg}$$

$$\widetilde{Q}_B^{med} = \prod \mathcal{P}(b_i, s_i + b_i) / \mathcal{P}(b_i, b_i) \quad \text{i.e. data=bkg}$$

$$\Delta LQ = 2 \ln \widetilde{Q}_{SB}^{med} - 2 \ln \widetilde{Q}_B^{med}.$$

$$f(k, \lambda) = \frac{\lambda^k e^{-\lambda}}{k!},$$

Evolution of ΔLQ



Evolution of ΔLQ

